

# Umrechnung vom/ins Dual-/Hexadezimalsystem (Knoppers Rechenweg)

## DUALSYSTEM:

Stelle	$2^{10}$	$2^9$	$2^8$	$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$
Wert	1024	512	256	128	64	32	16	8	4	2	1

$$585_{10} = \underline{1}*512 + \underline{0}*256 + \underline{0}*128 + \underline{1}*64 + \underline{0}*32 + \underline{0}*16 + \underline{1}*8 + \underline{0}*4 + \underline{0}*2 + \underline{1}*1 \\ = 1001001001_2$$

$$142_{10} = 10001110_2 \\ \text{Kontrolle: } 0*1+1*2+1*4+1*8+0*16+0*32+0*64+1*128 = 142$$

$$110011001_2 = 1*256+1*128+0*64+0*32+1*16+1*8+0*4+0*2+1*1 = 409_{10}$$

$$10101101_2 = 1*128+0*64+1*32+0*16+1*8+1*4+0*2+1*1 = 173_{10}$$

## HEXADEZIMALSYSTEM

$(10_{10}=A_{16}, 11_{10}=B_{16}, 12_{10}=C_{16}, 13_{10}=D_{16}, 14_{10}=E_{16}, 15_{10}=F_{16})$

Stelle	$16^4$	$16^3$	$16^2$	$16^1$	$16^0$
Wert	65536	4096	256	16	1

$$585_{10} = 2*256 + 4*16 + 9*1 = 249_{16}$$

$$142_{10} = 8*16 + \underline{14}*1 = 8E_{16}$$

$$85C_{16} = 8*256 + 5*16 + 12*1 = 2140_{10}$$

$$B70_{16} = 11*256 + 7*16 + 0*1 = 2928_{10}$$